OPTIMIZING THE PROCESSING OF OPEN-END COTTON YARNS BY USING THE EXTREME VERTICES EXPERIMENTAL DESIGN (EVED)

A.A. Salaman * and A.S. El-Geiheini **

- * Faculty of Applied Arts, Helwan University
- ** Faculty of Engineering, Alexandria University

Abstract

The regression equations for studying the effect of draft distribution, within draw-frames and open-end machine, on open-end yarn properties were determined. The significant equations were obtained by applying both Extreme Vertices Experimental Design (EVED) and stepwise regression. Twenty-two experiments were sufficient for the determination of Quadratic relation for eight factors. The conditions for the application of EVED on draft factors, were determined based on seven different experimental design. The yarn evenness and tenacity are sufficient parameters for optimization, and depends on draft distribution. The break draft at draw-frame affect them. Significantly, with oly \pm 15 % variation in total draft. This indicates that when applying autoleveller redistribution of draft within drafting zone is required for attaining optimum condition.

or specially for optimizing spinning plans were applied on only 3 to 5 experiments [1-10].

It is of great importance in Textile industry to attain the optimal condition with a greater number of factors with lesser number of experiments. It is important to note that the significant factors in any optimization technique don't exceed 40% of the number of experiments [1,2,5,8,10,11], such a percentage decrease greatly with the increase of the number of factors and experimentation. In the mean time, the number of trails increase greatly with the increase of the amount of factors.

Special experimental design for first order regression was proposed, having the number of experiment lesser than the number of factors [7] to be studied, with the application of the stepwise regression, it is possible to determine the significant factors. For the first order regression, the mixture experimental design was applied in textile technology for the determination of optimum draft distribution within drawing frames [12].

Some factors in Textile industry are subjected to different constrains. These constrains can be transferred in some cases to sum constrain and the mixture experimental design can be applied [6,12]. The mixture design is applied in case of the following constrain [3,4].

$$\Sigma \times_{i} = 1$$
 $0 \le a_{i} - b_{i} \le 1$ (1)

where: x; = factors under investigation.

Applying such design enable the decrease of the number of experimentations to a great extent. [3,4]. Knowing that the constrain in draft distribution is in the form:

$$\pi \times_{i} = ct \qquad 0 < x_{i} \tag{2}$$

The log transformation and scaling of the equation (2) will tend to the constrain at (11). The product constrained can be obtained also in other factors concerning speed, twist factor [6]. In this case, great number of textile factors can be grouped in relation constrains and the decrease of number of experimentation to a great extent can be achieved.

It is remarkable to note that the range of these factors are always not within 0 to 1, but at the range a_i to b_i . For that, the application of conventional mixture experimental design will decrease the range of the factors and for that, the application of Extreme Vertices Experimental Design can enable the application of the whole experimental range [3,4], which will tend to a better representation to the regression relation.

The aim of this work consist of the determination of the regression relations characterizing the effect of eight draft distribution factors on different open-end yarn properties, with the application of seven different extreme vertices experimental design (EVED) with number of experiment varying from 13 to 49, for testing the ability of these experimental design. The significant regression relation will enable the determination of factor values which attain the optimal or required Quality level for different properties.

2. Experimental Procedure

Carded cotton sliver of counts ranging from 3.57 ktex to 4.08 ktex were obtained from the industry and processed on two draw-frame passage then through the open-endmachine for obtaining yarn of count 40 tex. The factors under investigation consist of sliver count, break draft, main draft and doubling for both first and second drawing, then the main draft at the OE machine. The factors and their range of variations are shown in table 1.

Table 1

M/c		1	st Draw	ing	21	nd Drawi	ng	OE M/c
Factor	Card Sliver Count	Break Draft	Main Draft	No. of Doubling	Break Draft	Main Draft	No. of Doubling	Main Draft
Symbol	×1	Х2	х3	Х4	Х5	Х6	X7	Х8
Range	3.57, 4.08 k tex	1.25	4.12 5.36	6 8	1.33	4.02	6 8	140.5 187.5
Ratio	1.143	1.328	1.301	1.33	1.338	1.343	1.33	1.335

The ratio of all the factors are from 1.3 to 1.34 only the sliver count has a ratio of 1.14 which is about 85% of the whole range. Factor 4 and 7 consist of the doubling at the draw-frame with only two levels, we have to take in mind that the level + 1 can not be used or we will not attain a constant yarn count. For that before taking the log transformation and scaling to transfer these factors to mixture

Exper. Set	Exp. XI	Х2	х3 х4	Х5	X6	Х7	х8	SUM	
I	1 0.132 2 0.216 3 0.132 4 6.132 5 0.132 6 0.132 7 0.132 9 0.132 9 0.132 10 0.18 11 0.18	0.103	0.198 0.132 0.198 0.132 0.281 0.132 0.281 0.132 0.281 0.132 0.281 0.0132 0.198 0.132 0.198 0.132 0.198 0.132 0.215 0.236 0.215 0.236	0.146 0.146 0.018 0.018 0.046 0.016 0.06 0.146 0.046 0.108 0.011	0.139 0.123 0.102 0.028 0.074 0.102 0.225 0.139 0.074 0.085 0.385 0.188 0.072	0.133 0.133 0.0 0.0 0.133 0.285 0.236 0.236	0.014 0.078 0.198 0.13 0.233 0.233 0.147 0.163 0.163 0.134 0.141	0.997 0.997 1.001 1.002 1.001 1.002 0.997 0.997 0.988 1.017 1.021	
11	14 0.216 15 0 16 0 17 0.216 18 0.131 19 0 20 0 21 0		0.284 0 0.281 0 0.281 0 0.278 0 0.197 0 0.115 0.11 0.215 0.11 0.215 0.11	0.146 0.146 0.278 0.046 0.108 0.084 0.084 0.011 0.065	0.251 0.265 0.285 0.343 0.396 0.374 0.385 0.327	0.133 0.131 0.00 0.00 0.11	0.103 0.145 0.142 0.101 0.00 0.137 0.132 0.133 0.133	0.998 1.002 1.004 1.001 0.987 0.988 0.988	
III	23 0.132 24 0.131 25 0.129	0.104	0.198 0.132 0.198 0.133 0.193 0.275	0.143	0.285 0.285 0	0	0.147 0.147 0.155	0.997 0.998 0.999	
IV	26 0.132 27 0.127 28 0.216 29 0.131 30 0.129	0.103 0.274 0.052 0.104 0.102	0.281 0.281 0.274 0.127 0 0.285 0.283 0.193 0	0.046 0.047 0.046 0	0.069 0.311 0.144	0 0.286 0 0.277	0.158 0.127 0.105 0.125 0.155	1.001 0.998 0.991	
٧	31	0.221 0.161 0.104 0.051 0.183 0.133 0.133	0.284 0 0.198 0 0.198 0 0.198 0 0.281 0 0.281 0 0.281 0 0.281 0 0.198 0 0.198 0 0.198 0 0.198 0 0.198 0 0.198 0 0.281 0 0.198 0 0.198 0 0.281 0 0.198 0 0.198 0 0.281 0 0.198 0 0.198 0 0.281 0 0.198 0 0.1	0.018 0.06 0.046 0.283 0.084 0.12	0.169	0.133 0.133 0.00 0.00 0.133 0.00 0.133 0.283 0.283 0.211	0.103 0.094 0.133 0.186 0.1248 0.147 0.15 0.163 0.149 0.143 0.149 0.0183 0.166 0.166	1.001 0.999 0.999 0.999 0.997 1.002 1.002 1.002 1.002 1.021 1.021 1.021	

factor condition a dummy ratio of 2.81 was proposed and the factor condition for experimentation were determined by applying the Extreme Vertices Experimental Design (EVED), the level of these factors are shown in table 2 In table 2, five sets of experimental trail are shown.

Yarn strength, evenness and imperfections were determined for the study using the standard methods of testing.

3. Results and Discussion

Seven experimental designs with different factors combinations were constructed from the proposed experimental sets. These experimental trials are shown in table 3.

Table 3

CONSTRUCTION AND SPECIFICATIONS OF DIFFERENT EXPERIMENTAL DESIGNS

Experimental	1	2	3	4	5	6	7
Design No.							
Experimental	I	I, II	I-III	I,II,IV	III-V	V	I-v
Set Combination							
No. of Exp.	13	22	25	27	27	19	49
Max Variance for				- 145 - 145			
straight line	81.9	17.2	13.9	11.9	20.4	39.1	7.0
relation							
Max variance for							1.00
special Quadratic	-	134814.8	129627	477008	654061	8.4E8	29296.3
relation							
Number of factors	-						
at lower level	1	3	3	3	2	2	3

The results of different experimental designs are shown in table 4, while the regression relations are demonstrated in table 5. From these tables, it is possible to attain the following:

3.1 General consideration

All the proposed experimental trails determines the regression relations with high significance, the coefficient of correlation varies from 0.943 to 0.999, this indicates that the obtained relation describe to a great extent, the effect of different factors on the tested yarn properties. One or more interactions effects were obtained in all the significant regression except the regression determined by first experimental set for the yarn neps. This enable us to say that the factors affect the tested yarn properties in Quadratic form.

3.2. Effect of Experimental Design

The coefficient of correlation of all experimental designs are highly significant, while the significant factors differs in some circumstances. If we consider that the existance of a factor in linear or interaction form is a measure of design efficiency for detecting the factor effect. The number of factors determined by every experimental design are shown in table 5. From this it can be seen that the experimental designs 2,3,4,7 had the greater abilities for the detecting of factor dependence. This can be explained from table 3 by both the range of variation of the factors and maximum variance in Variance matrix. For that, it is important to have the whole range of the factor within the experimental trials and the 30% 40% of the factors be at the lower level at every experiment with an homogeneous

Yarn - Prop	Ya	arn Strengt		Yarn Evenness & Imperfections					
	Tenacity	Tenaci ty	Elong.	%	C.V.%	Thick	Th	Thin	
Exp.No.	g/tex	ct*lea st.				per	1000	meter	1
12345678901200000000000000000000000000000000000	9.355 9.723 9.723 9.768 9.144 9.66 10.049 9.266 10.312 9.154 9.61 10.312 9.641 10.973 9.641 10.973 9.669 9.7	1678.1 1614.3 1664.6 16038.2 1691.7 17148.8 177448.8 17524.4 17524.4 17524.4 18331.1 15339.7 1551.6 17428.1 16151.9 17161.6 17161.7 1677.7 1	77.1085.67.7 77.05.67.7.66.7.7.7 67.7.66.7.7.66.5.15.4.59.6.5.00.7.4.3.2.5.02.7.5.3.4.88.5.4.2.1.9.4.9.6.7.7.7.7.6.6.6.6.6.6.6.6.6.6.6.6.6.6		16.8349 16.116341 16.19341 16.19341 17.19341 17.19341 17.18.95 17.717 18.95 17.718.065 18.95 17.777 18.95 18	144 13938 1084 1394 1394 1394 146 146 148 148 148 148 148 148 148 148 148 148	1554555188555240867878787878787878787878787878787878787	30 472246046088046088446629224088046440066864460	$\begin{array}{c} 30000266040226200022424242888660426884000044022620002444\\ 436287468826620663637777438886660422688400004460262002444\\ 4362866604226884000044605545755457754374465545775463744637446374$

Table 5 DIFFERENT REPRESSION RELATIONS Pact Coeff. Sig Fact Coeff. Sig 30.0 27.6 -98.5 98.1 53.3 53.6 0.996 54.8 14.0 35.3 -225.9 -67.3 51.3 0.996 48.4 41.4 -243.6 11.3 81.7 -77.1 -52.2 31.9 25.6 174.5 13.5 64.4 0.996 X8 X68 X17 X34 X35 HR * * * * * X8 X6 X1 X18 X68 X25 MR 3.1 3.6 X14 X6 X15 48.6 27.5 -158.4 19.5 -95.2 5.7 16.7 * * * X5 X1 X6 X25 X26 X27 HR * * 1 1 1 1 4 XB X1 X18 X6 X6 X5 X37 MR ** * * * * * 4.5 M 0.995 X3 4647.8 X47 4053.8 X25 11483 X8 6208.1 X16 4533.2 X26 4397.7 X45 11886.6 X17 5538.5 HR 0.997 X3 3388 X6 3725, 2 X36 -7990, 8 X1 6472 X13-10114 -9 X15-34687, 2 X5 6734 X5-13915, 8 X67 4923 X43 4255, 8 M. 0.999 X8 4756.3 X1 6593.4 X18-35144.5 X6 1330.8 X3 2460.9 XZ8 -2434.6 X14 5466.3 IS 0.997 X3 S25.6 ++ X47 12264.7 ++ X6 3826.7 ++ X36-17051.3 ++ X45 11644.7 * X17 5835.2 1.3 HR 0.995 X3 4435.2 X14 18890.4 X6 2376.9 X15 11233.1 MR 0.995 7.2 ** ** 1.4 ** 1.1 * * * * * * * * * * * * * * * 58.7 20.5 20.9 44.2 -258.3 54.6 64.4 12.8 0.999 ** ** 7.6 ** ** 105.8 65.7 -414.2 179.9 0.992 118.4 31.1 21.8 5.1 47.3 -317.9 -193.2 -163.2 X6 X65 X57 X57 # # # # X3 X6 X36 X36 60.7 416.8 32.6 -51.8 0.938 59.5 19.5 -46 ** * * * * * X6 X57 X38 X37 X45 X45 ** ** 2 61.4 -227.7 117.8 62.9 -43.4 0.937 694.1 3170.1 991.4 0.95 929.5 2497 719 -5129.7 608.3 0.968 X3 X26 X15 X25 X25 X25 329.2 1506.7 3182.4 -2233.7 0.958 232.6 8.3 331.9 ** 2719 * 692.6 * 0.938 XI X35 X26 HR ** 1.1 1 4.2 ** 1053.3 4919.3 3682.1 -2865.6 -3602.7 ** X7 X3 X25 X26 R8 ** X26 X45 X45 X36 X45 0.986 X1 1833.7 ***
X56 5762 **
X37 4532.6 *
X74 14009.5 *
X76 2975.3 **
X43 -7490.6 1.4
PR 0.988 X35 8601.9 X28 13799.8 X15 14313.1 PR 0.94 X1 2523-1 X35 7431.8 X28 9767.6 X14 -8044.7 X57 6841.3 HR 0.952 ** X26 X12 X12 X12 X12 7252.6 1649.5 -3312.5 850.5 0.99 1814.1 ***
2973.6 ***
6914 ***
4537.6 1.1
4233.2 3
0.95 XI X26 X35 X37 X37 ** 6841.3 1032.2 *
7441.4 *
708.1 *
987.1 2.9
0.971 X3 X15 X6 X1 MR 2178.1 ** 478.8 2.4 12194.5 ** 958.3 * X3 X1 X13 X26 X78-2356.9 4010 -15695 1364.2 11283.5 0.983 X) 3672.3 X6 1235.7 X16 -7406.9 X47 -5027.4 X5 601.8 3.5 MR 0.974 2219.1 500.8 12082.1 938 X1 X6 X58 X2 HR *** *** 1.4 X1 X6 X58 X2 HR 0.969 0.975 28.4 35.1 -195.7 9.5 -12.7 24.7 0.998 18.7 64.8 24.8 47.1 -75.8 15.9 30.8 50.8 12.9 ***
10.7 5.4
52.1 ***
38 **
-47.3 **
-179.4 **
-26.7 **
0.999 9.1 12 30.5 21 -19.9 30.8 -37.8 -46.6 -84.5 ** ** * * X45 X6 X36 HR 28.7 155.4 13.6 -57.2 0.997 * * * * ** ** * * 4.4 X3 X46 X25 X38 X1 X13 X13 X13 X13 X13 X13 X8 X1 X18 X28 X46 FR 6.1 X3 X6 X45 X16 X8 X18 X18 X18 X18

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Yarn Proper ties

Single-find Strength

Tenad ty

Strength

Yam Everness C.V.X

Thi ck Places Per 1000 Mt

Thin Places Per

1000 Ht

Neps Per 1000 Ht

Yath Dongton 24.1 82.6 102.3 14.9 38.5 0.9985

XI 7158.7 X36 16605.2 X28 12726.1 PR 0.996

** ** *

** ** 2.4

** 1.2

X1 1468.7 ** X14 -3294.7 2.3 MR 0.952

XI 5746.6 XI 4-15325.6 MR 0.961

33,4 30 35,3 -210,7 36,7 28,2 0,999

XI PR 4169.7

X36 X8 X18 X24 X25 FR

X6 X18 X17 X24 X5 X18 X17 X24 X5 X18

X2 X2 X2 2 X26 HR. 107.1 128.8 -797.3 -151.6 0.999 8.7 16.8 97.9 42.2 74.7 10.8 24.6 0.9994 4.6 4.6 4.6 1.6

X3 5754.9 X45 39560.3 X2 5163.6 X23-17144.4 X34 -9151.8 X78 8322.8 PR 0.997

30.1 22 139.3 128.1 23 70.8 61.7 6.8

787.6 ** 2590.5 * 1500.8 2.1

X3 X6 X17 X48 X5 X24 X78 X2 MR

X35 X68 MR

XI X68 X2 HR

** 2

XI 1311.4 X35 10876.4 X28 8598.6 X17 8345.1

0.944

3252.5 ** 5832.8 * 746.9 3.3

25.2 76.8 27 -92.7 13.1 -47.2 0.998

** ** ** 6.9

0.999

** ** ** 2.8

** * ** ** 1.6 3

8 * 5

distribution of lower level for all factors within the experimental design.

3.3 Yarn Strength and Elongation

The regression equations for yarn tenacity of single of lea ends are shown in table 5. From which, the coefficient of correlation for proposed regressions exceed the value of 0.995 for all regressions obtained. In case of tenacity of single-end strength, all the tested factors are presented in most of regression obtained. The relation obtained by the second and third sets are the most representable of the results, same condition is obtained for the count strength product, in which the number of experiment are lesser than the other experimental design except the first one. In case of yarn elongation, the coefficient of correlation is within 0.998, also second and third experimental sets show a tendency to better representation of data.

All the regression obtained involve an interaction factors which indicate that a Quadratic relation represent the dependence of yarn strength and elongation on factors under consideration. The most adequate factors, on yarn strength and elongations are break and mean draft, and doubling at the first draw-frame, break draft of the second draw-frame and draft at the open-end spinning machine.

3.4 Yarn imperfections

The regression equations of the four measures characterizing the yarn imperfections are shown in table 5. The value of coefficient of correlation is greater than 0.990 in case of yarn evenness. For that, the yarn evenness can be considered the most influenced by the factors

under study. As in case of yarn strength and elongation, the second, third and also the seventh experimental set realize mostly the results obtained. In the same time a Quadratic relation is also obtained for almost of the regression accomplished.

The most satisfactory factors on yarn imperfections are card sliver count, main draft of first draw-frame, break draft and draft for second draw frame.

3.5 Optimum Conditions

Specified values of any yarn property under study can be determined by solving any of the proposed relation. The most representative are that of set 2,3,4,7. Since no significant difference were obtained when solving such relations, the most optimal design can be considered that of the lower number of experimentation which are set 2 or 3.

VI. Conclusion

- The application of Extreme Vertices Experimental Design enable the determination of different regression equations concerning the dependence of yarn properties on draft distribution with great accuracy.
- 2. The regression equations can be obtained with minimum number of experimentation by using the stepwise regression. A significant Quadratic relation for eight factors can be obtained by only twenty-two experiments.
- 3. The most effective experimental design is that in which the lower

level exist in the design for all factors in a homogeneous form and within 25% - 40% of the total number of factors.

- 4. Most regressions obtained are significant for Quadratic relation, which has to be taken always in consideration when proposing an experimental design.
- The yarn tenacity, evenness and imperfections are mostly affected by break draft and main draft of the drawing frames.
- 6. The yarn evenness and tenacity of single-end yarn can be considered the most sufficient parameters for optimization of open end processing.
- 7. The break draft in both first and second draw-frame are always significant in both yarn imperfection and strength since this variation is only within + 15%. This is within the level of any autoleveller. For that, a redistribution of draft within the drafting zone is needed when a variation in total draft is produced on the autolevelling system.

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